

## Blending and Compositing



Computational Photography
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## Last class: finding boundaries

- Intelligent scissors
- Good boundary has a low-cost path from seed to cursor
- Low cost = edge, high gradient, right orientation
- GrabCut
- Good region is similar to foreground color model and dissimilar from background color
- Good boundaries have a high gradient
- Optimize over both


## Take-home questions

1. What would be the result in "Intelligent Scissors" if all of the edge costs were set to 1 ?
2. How could you change boundary costs for graph cuts to work better for objects with many thin parts?

## Last Class: cutting out objects



## This Class

How do I put an object from one image into another?


## Image Compositing



News Composites


## News Composites

Original

"Enhanced" Version


## Three methods

1. Cut and paste
2. Laplacian pyramid blending
3. Poisson blending

## Method 1: Cut and Paste



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Problems:

- Small segmentation errors noticeable
- Pixels are too blocky



## Method 1: Cut and Paste

Problems:

- Small segmentation errors noticeable
- Pixels are too blocky
- Won't work for semi-transparent materials



## Feathering

Near object boundary pixel values come partly from foreground and partly from background

## Method 1: Cut and Paste (with feathering)



## Alpha compositing



Output $=$ foreground*mask + background*(1-mask)

## Alpha compositing with feathering



Another example (without feathering)
Mattes


Composite


## Proper blending is key



## Alpha Blending / Feathering



Effect of Window Size


Effect of Window Size


## Good Window Size


"Optimal" Window: smooth but not ghosted

How much should we blend?


## Method 2: Pyramid Blending

- At low frequencies, blend slowly
- At high frequencies, blend quickly

blend


Right pyramid


## Method 2: Pyramid Blending




## Laplacian Pyramid Blending

## Implementation:

1. Build Laplacian pyramids for each image
2. Build a Gaussian pyramid of region mask
3. Blend each level of pyramid using region mask from the same level

4. Collapse the pyramid to get the final blended image

## Simplification: Two-band Blending

- Brown \& Lowe, 2003
- Only use two bands: high freq. and low freq.
- Blends low freq. smoothly
- Blend high freq. with no smoothing: use binary alpha



## 2-band Blending



High frequency


## 2-band Blending



Blending Regions


© Chris Cameron

## Related idea: Poisson Blending

A good blend should preserve gradients of source region without changing the background


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A good blend should preserve gradients of source region without changing the background


## Method 3: Poisson Blending

A good blend should preserve gradients of source region without changing the background

Treat pixels as variables to be solved

- Minimize squared difference between gradients of foreground region and gradients of target region
- Keep background pixels constant
$\mathbf{v}=\underset{\mathbf{v}}{\operatorname{argmin}} \sum_{i \in S, j \in N_{i} \cap S}\left(\left(v_{i}-v_{j}\right)-\left(s_{i}-s_{j}\right)\right)^{2}+\sum_{i \in S, j \in N_{i} \cap-S}\left(\left(v_{i}-t_{j}\right)-\left(s_{i}-s_{j}\right)\right)^{2}$


## Example



Gradient Visualization


## Gradient-domain editing

## Creation of image = least squares problem in terms of: 1) pixel intensities; 2) differences of pixel intensities



$$
\begin{aligned}
& \hat{\mathbf{v}}=\underset{\mathbf{v}}{\arg \min } \sum_{i}\left(\mathbf{a}_{i}^{T} \mathbf{v}-b_{i}\right)^{2} \\
& \hat{\mathbf{v}}=\arg \min (\mathbf{A v}-\mathbf{b})^{2}
\end{aligned}
$$

Use Python least-squares solvers for numerically stable solution with sparse A (e.g. scipy.sparse.linalg.lsqr)

## Examples

1. Line-fitting: $y=m x+b$


## Examples

## 2. Gradient domain processing

$$
\mathbf{v}=\underset{\mathbf{v}}{\operatorname{argmin}} \sum_{i \in S, j \in N_{i} \cap S}\left(\left(v_{i}-v_{j}\right)-\left(s_{i}-s_{j}\right)\right)^{2}+\sum_{i \in S, j \in N_{i} \cap \neg S}\left(\left(v_{i}-t_{j}\right)-\left(s_{i}-s_{j}\right)\right)^{2}
$$

source image

| ${ }^{1} \mathbf{2 0}$ | ${ }^{5} \mathbf{2 0}$ | ${ }^{9} \mathbf{2 0}$ | ${ }^{13} \mathbf{2 0}$ |
| :--- | :--- | :--- | :--- |
| ${ }^{2} 20$ | ${ }^{6} 80$ | ${ }^{16} 20$ | ${ }^{14} \mathbf{2 0}$ |
| ${ }^{3} \mathbf{2 0}$ | $\mathbf{2 0}$ | ${ }^{11} 80$ | ${ }^{15} \mathbf{2 0}$ |
| ${ }^{4} 20$ | ${ }^{8} 20$ | ${ }^{12} 20$ | ${ }^{16} \mathbf{2 0}$ |

background image

| ${ }^{1} \mathbf{1 0}$ | ${ }^{5} \mathbf{1 0}$ | ${ }^{9} \mathbf{1 0}$ | ${ }^{13} \mathbf{1 0}$ |
| :--- | :--- | :--- | :--- |
| ${ }^{2} \mathbf{1 0}$ | ${ }^{6} \mathbf{1 0}$ | ${ }^{10} \mathbf{1 0}$ | ${ }^{14} \mathbf{1 0}$ |
| ${ }^{3} \mathbf{1 0}$ | ${ }^{7} \mathbf{1 0}$ | ${ }^{11} \mathbf{1 0}$ | ${ }^{15} \mathbf{1 0}$ |
| ${ }^{4} \mathbf{1 0}$ | ${ }^{8} \mathbf{1 0}$ | ${ }^{12} \mathbf{1 0}$ | ${ }^{16} \mathbf{1 0}$ |

target image

| ${ }^{1} \mathbf{1 0}$ | ${ }^{5} \mathbf{1 0}$ | ${ }^{9} \mathbf{1 0}$ | ${ }^{13} \mathbf{1 0}$ |
| :---: | :---: | :---: | :---: |
| ${ }^{2} \mathbf{1 0}$ | $\mathbf{v}_{\mathbf{1}}$ | ${ }^{10} \mathbf{v}_{\mathbf{3}}$ | ${ }^{14} \mathbf{1 0}$ |
| ${ }^{3} \mathbf{1 0}$ | $\mathbf{v}_{\mathbf{2}}$ | ${ }^{11} \mathbf{v}_{4}$ | ${ }^{15} \mathbf{1 0}$ |
| ${ }^{4} \mathbf{1 0}$ | ${ }^{8} \mathbf{1 0}$ | ${ }^{12} \mathbf{1 0}$ | ${ }^{16} \mathbf{1 0}$ |

## Other results



## What do we lose?

- Foreground color changes
- Background pixels in target region are replaced

sources/destinations



## Blending with Mixed Gradients

- Use foreground or background gradient with larger magnitude as the guiding gradient



## Project 3: Gradient Domain Editing

General concept: Solve for pixels of new image that satisfy constraints on the gradient and the intensity

- Constraints can be from one image (for filtering) or more (for blending)


## Project 3: Reconstruction from Gradients

1. Preserve $x-y$ gradients
2. Preserve intensity of one pixel


Source pixels: s
Variable pixels: v

1. minimize $\left(v(x+1, y)-v(x, y)-(s(x+1, y)-s(x, y))^{\wedge} 2\right.$
2. minimize $\left(v(x, y+1)-v(x, y)-(s(x, y+1)-s(x, y))^{\wedge} 2\right.$
3. minimize $(v(1,1)-s(1,1))^{\wedge} 2$

## Project 3 (extra): Color2Gray



## Project 3 (extra): NPR

- Preserve gradients on edges
- e.g., get canny edges with edge(im, 'canny')
- Reduce gradients not on edges
- Preserve original intensity



## Colorization using optimization

- Solve for uv channels such that similar intensities have similar colors
- Minimize squared color difference, weighted by intensity similarity

$$
J(U)=\sum_{\mathrm{r}}\left(U(\mathbf{r})-\sum_{\mathrm{s} \in(\mathrm{r})} w_{\mathrm{r}} U(\mathrm{~s})\right)^{2}
$$

- Solve with sparse linear system of equations

http://www.cs.huji.ac.il/~yweiss/Colorization/


## Things to remember

- Three ways to blend/composite

1. Alpha compositing

- Need nice cut (intelligent scissors)
- Should feather

2. Laplacian pyramid blending

- Smooth blending at low frequencies, sharp at high frequencies
- Usually used for stitching

3. Gradient domain editing

- Also called Poisson Editing
- Explicit control over what to preserve
- Changes foreground color (for better or worse)
- Applicable for many things besides blending


## Take-home questions

1) I am trying to blend this bear into this pool. What problems will I have if I use:
a) Alpha compositing with feathering
b) Laplacian pyramid blending
c) Poisson editing?


## Take-home questions

2) How would you make a sharpening filter using gradient domain processing? What are the constraints on the gradients and the intensities?

## Next class

- Image warping: affine, projective, rotation, etc.

